

Transport Network Design Based on Origin/Destination Clustering During the COVID-19 Pandemic Use Case

Matthieu Guillot, Angelo Furno, El-Houssaine Aghezzaf, Nour-Eddin El Faouzi



Smartlab Liability

The Smartlab

- Temporary laboratory : from January 2021 to January 2023
- Funded Île-De-France region (around Paris) and driven by [Gustave Eiffel University](#)
- 9 postdoc researchers
- Multidisciplinary : economy, sociology, applied mathematics, computer science...

Objectives

- Studying the resilience of Île-De-France region during and after the COVID-19 pandemic
- 2 axes : [mobility](#) and [telework](#)

Context

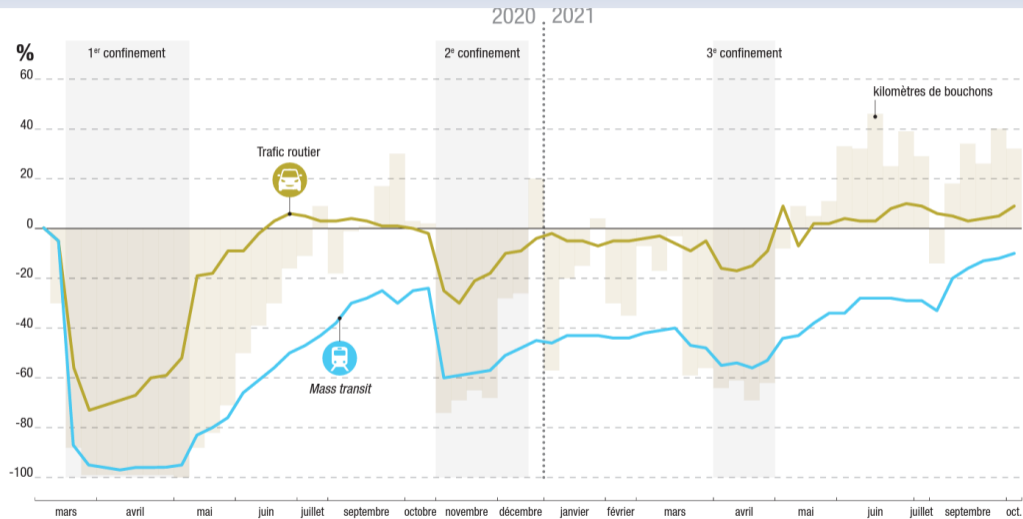
Mobility changes

- 17% of users have changed their mobility habits with COVID-19
- Most of them from collective modes to individual ones

Modes

- Decrease of mass transit
- Increase of the use of private cars
- Increase in cycling

Context

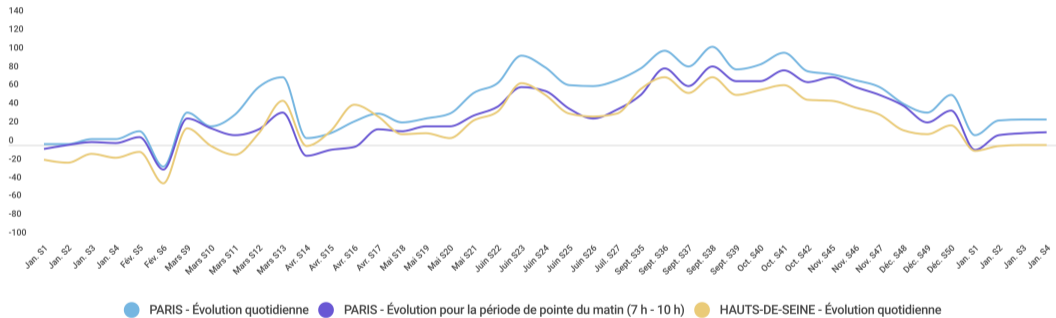


Source : Trafic routier Dirif (traitement Driat-SCDD), congestion Sytadin - Dirif, validations Sidv - Île-de-France Mobilités

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Context



Consequences

Social

- Increased incivilities between cyclists and car users
- Increased number of accidents involving cyclists
- Increase of traffic jams

Financial

- Revenue decline, shortfalls for public transports operators
- 1 billion (€) for Île-De-France Region

Demand

- Public transportation demand has decreased (even now)
- Possible future changes in the demand

Consequences

Public transport networks must be reconfigured to increase **resilience**

We want :

- A new network that fits the new (decreasing) demand
→ **sustainability** for network operators
- A good quality of service
- A dynamic solution
- Good properties under sanitary constraints

How to tackle the problem ?

Which mode ?

- Re-use of equipment
- Light infrastructure
→ Bus network

Subnetwork in terms of bus stops¹

- Easier to compute
- Bound the access/egress time
- **But** the operational cost is not that related with bus stops
- **Our approach** : work directly on the lines

1. <https://doi.org/10.48550/arXiv.2105.02600>

Introduction to the problem

We consider a **bus** network $G = (V, E)$:

- V : set of bus stops
- E set of edges connecting these stops

Entries :

- $d(v_1, v_2)$ a **distance metric** between all $v_1 \in V$ and $v_2 \in V$
- $OD(v_1, v_2)$ a **demand** on the bus stops between all $v_1 \in V$ and $v_2 \in V$

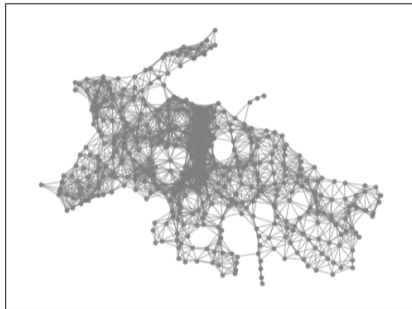


Figure – Bus network of Lyon

Introduction to the problem

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Output :

- a set of lines on V
- with good properties

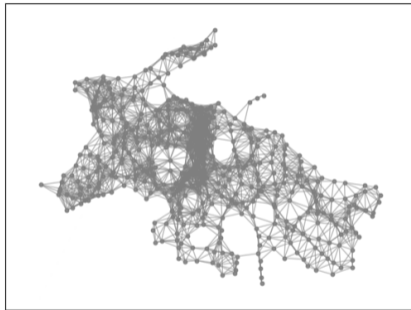


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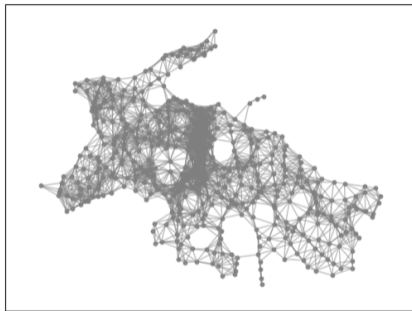
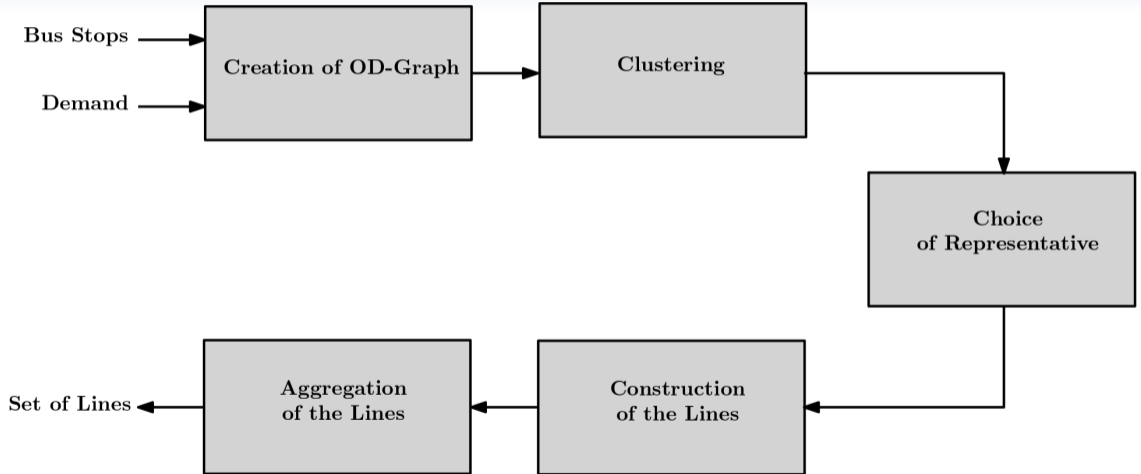


Figure – Bus network of Lyon

Main idea : group origin/destination pairs that are close

Outline



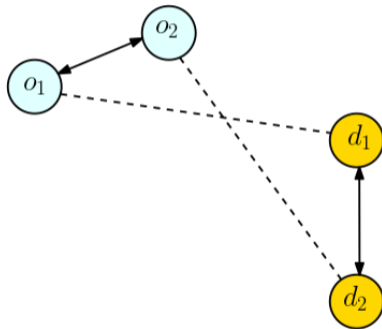
Creation of OD-Graph

We define $G' = (V', E')$ the OD-graph as :

- V' : set of OD pairs
- E' set of edges that connect close ODs
- d_{walk} a acceptable distance by walk

$$V' = \{v' = (o, d) \in V | d(o, d) > d_{walk}\}$$

$$E' = \{(v'_1 = (o_1, d_1), v'_2 = (o_2, d_2)) \in V' | d(o_1, o_2) + d(d_1, d_2) < d_{walk}\}$$



Clustering

We apply a clustering algorithm on G'

- Louvain, spectral algorithm, ...
- c : the number of clusters

$\mathcal{C} = \{C_1, C_2, \dots, C_c\}$ the set of clusters of ODs

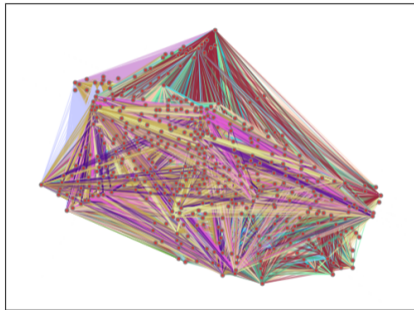


Figure – $c = 32$

Choice of representatives

For each $C_i \in \mathcal{C}$, we compute a representative (a node $r(C_i) \in C_i$) :

- central
- demand-dependant

$$D^{C_i} = \min_{v \in C_i} \sum_{u \in C_i} D(u, v) OD(u)$$

$$r(C_i) = \arg \min_{v \in C_i} D^{C_i}$$

D : minimal distance in G' (in term of # of edges)

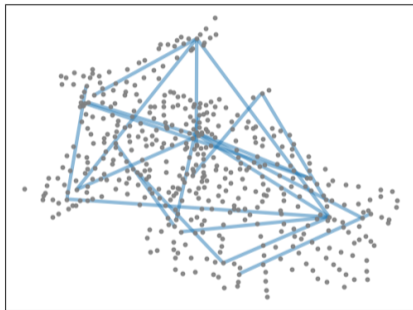


Figure – representatives for $c = 32$

Construction of the lines

For each $C_i \in \mathcal{C}$, we build a bus line from $r(C_i)$

- back in G , $r(C_i) = (o_{C_i}, d_{C_i})$
- we build a line from o_{C_i} to d_{C_i}

We compute the shortest path in G between o_{C_i} and d_{C_i}

$$l_{C_i} = (o_{C_i}, \dots, d_{C_i}) = SP_G(o_{C_i}, d_{C_i})$$

Construction of the lines

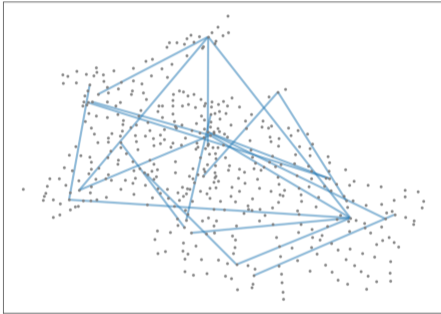


Figure – Representatives for $c = 32$

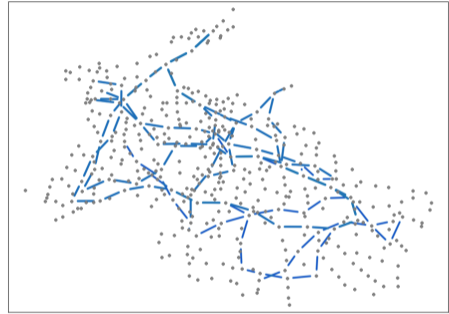


Figure – Corresponding lines

Aggregation of the lines

Issue : some lines are built from different "size" of OD. We choose p_{aggreg} , and define :

$$p_{com}(l_1, l_2) = \frac{|l_1 \cap l_2|}{\min(|l_1|, |l_2|)}$$

We merge the lines until no pair l_1, l_2 such that $p_{com}(l_1, l_2) > p_{aggreg}$ exists

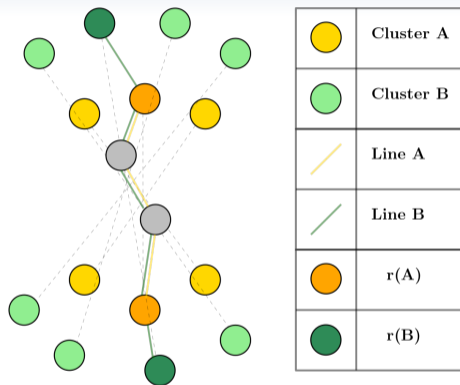


Figure – aggregation of the lines

Aggregation of the lines

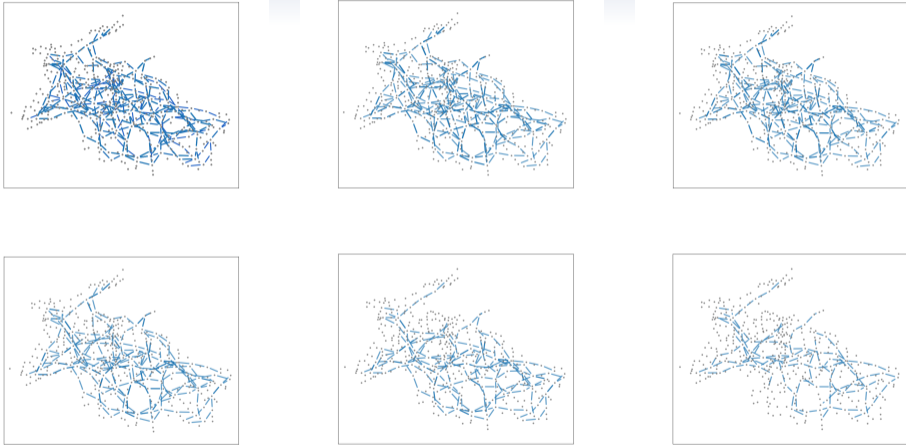
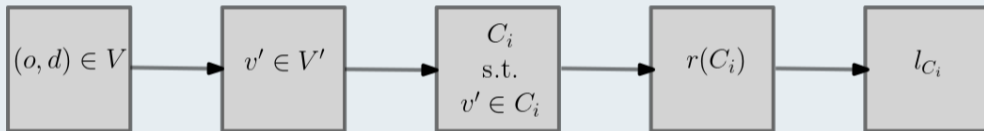


Figure – Procedure of aggregation for p_{agg} from 0.7 to 0.3

Network properties

One only bus line

- for any trip (o, d) , one can take only one bus line
- we can tell which one to take



Sanitary constraints

- only one bus to take, no transfer
- decrease of risks of contamination

Network properties

Capacity and frequency of the buses

We can easily define the bus capacities and frequencies since only one line is taken per trip → sanitary constraints

Walking time

We can also bound the additional walking time for $v' \in C_i$:

$$WT(v') \leq D(v', r(C_i)) \times d_{walk}$$

Geographical equity

- the demand is taken into account only in the choice of representative
- no spacial preferential treatment
- suburb → suburb trips are not penalized

Evaluation of the network

p_{eggreg}	# lines	% covered stops
1	150	55%
0.7	76	53%
0.6	69	52%
0.5	56	50%
0.4	35	44%
0.3	20	33%

Travel time : Toy example

Trip : Guillotière → Mermoz

Départ 20:03 - Arrivée 20:41		1 min	782g
38 minutes	C 9 - C 13 - BUS 1E	>	
Départ 19:56 - Arrivée 20:36		7 min	1077g
39 minutes	1 - BUS 35 - BUS 79	>	
Départ 19:54 - Arrivée 20:39		26 min	559g
44 minutes	1 - C 25 - 1	>	

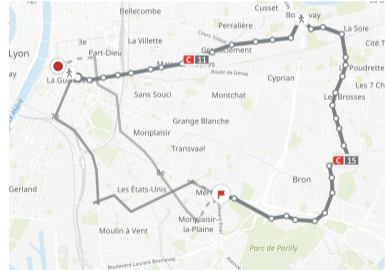
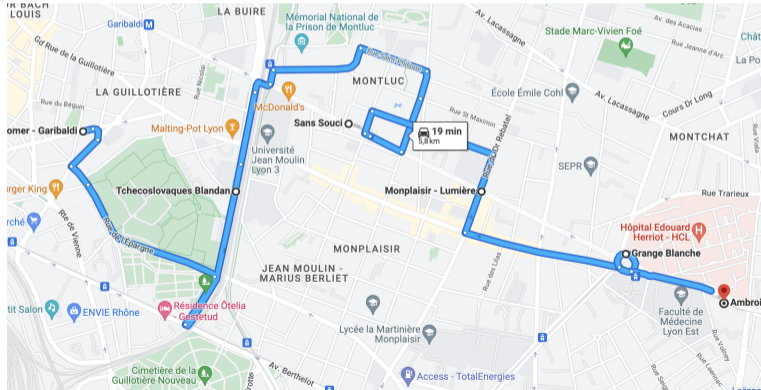


Figure – Advised trip from TCL

Travel time : Toy example

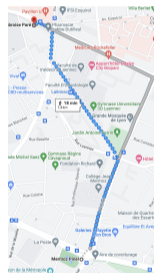
Trip : Guillotière → Mermoz

Our line : Domer → Ambroise Paré



Travel time : Toy example

Access and egress time : 4 and 18 minutes



Total : 40 minutes + waiting time at stops without transfer

Conclusion & Perspectives

Work done

- a methodology to build bus lines from existing bus stops
- the lines have some interesting properties
- the methodology is modular

Perspectives

- evaluation of the network with travel time metrics
- evaluation of the increase of access time
- comparison with existing network
- test other choices for the different steps of the methodology

Thank you for your attention !

Algorithm 1 Aggregate lines

Require: a set of lines $\mathcal{L} = l_1, \dots, l_c$

Ensure: a subset $\mathcal{L}' \subseteq \mathcal{L}$ such that $p_{com}(l, l') < p_{aggreg}$ for all pair $(l, l') \in \mathcal{L}'$

continue \leftarrow *True*

$\mathcal{L}_{curr} \leftarrow \mathcal{L}$

while *continue* **do**

continue \leftarrow *FALSE*

for $l \in \mathcal{L}_{curr}$ **do**

for $l' \in \mathcal{L}_{curr}$ **do**

if $l \neq l'$ AND $p_{com}(l, l') > p_{aggreg}$ **then**

if $|l| < |l'|$ **then**

Delete l from \mathcal{L}_{curr}

else

Delete l' from \mathcal{L}_{curr}

end if

continue \leftarrow *TRUE*

end if

end for

end for

end while